





Robust and fast data synthesis with the synthesizer package.

Use of R in Official Statistics 2025 #uRos2025

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Interface

```
synthesize()
                   # synthesize a vecor or data.frame
make synthesizer() # create a function that samples
                     from the synthetic distribution
synthesize(rho=r) # lower rank correlation between
                   # original and synthetic data to r
                   # (possibly per variable)
synthesize(na.rm=TRUE)
                        # Remove missings before
                        # synthesizing and get a complete
                        # dataset
```



The synthesizer algorithm

For each variable:

- 1. Sample n values from empirical distribution.
- 2. Reorder so that the rank of the sample matches the rank of the original *n* values.



The synthesizer algorithm

- Integer, categorical data: resample from observations.
- Numeric data: linear intepolation of formal ECDF

For each variable:

- 1. Sample n values from empirical distribution.
- 2. Reorder so that the rank of the sample matches the rank of the original *n* values.



Rank correlation between original and synthetic data equals 1.

The synthesizer algorithm: privacy

Integer, categorical data: resample from observations.

value.

Numeric data: linear intepolation of formal ECDF

For each variable:

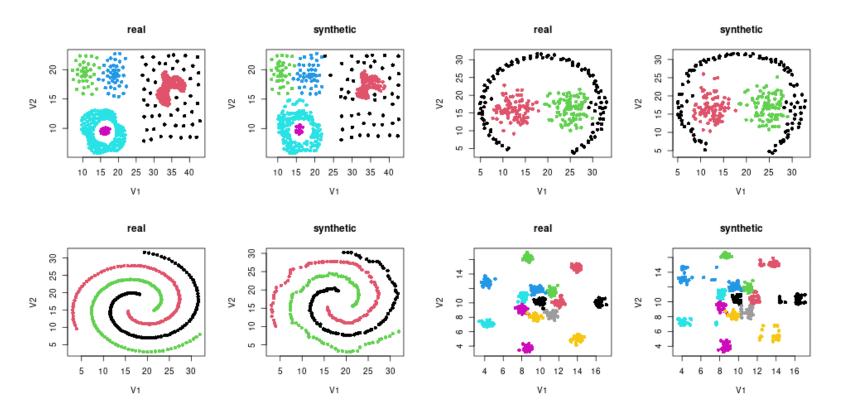
- 1. Sample n values from empirical distribution.
- Reorder with a chosen level of randomisation so that the rank of the sample matches the rank of the original n values to a chosen level.







Synthesizer reproduces complex relations



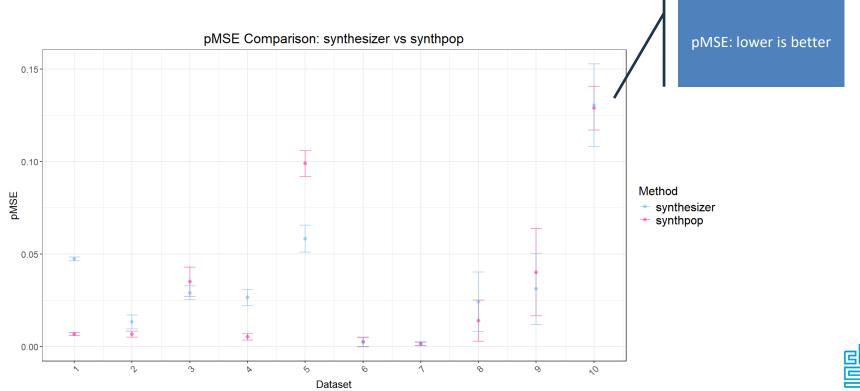


Synthesizer works in many cases

- ✓ Univariate and multivariate data
- ✓ Numeric, integer, categorical or mixed data
- ✓ Missing data
- ☑ Mixed distributions (e.g. inflated zeros)
- ✓ Univariate and multivariate time series
- **区** Logical restrictions / structural zero's
- Relations between records



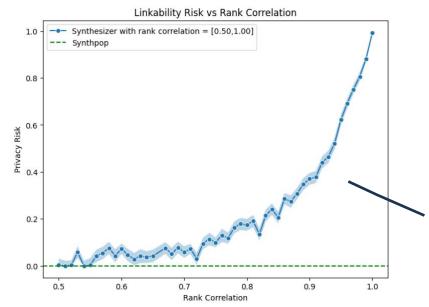
Experiments on SBS data



Synthesizer has controllable SDC

Dataset	Risk	95% Confidence Interval	
synthesizer $(rankcor = 1)$	0.23894	(0.21212, 0.26577)	
synthesizer (rankcor = 0.9)	0.09144	(0.07223, 0.11064)	
synthpop	0.16790	(0.14388, 0.19192)	

Singling-out risk
Probability that, given a
unique pattern in synthetic
data, the pattern can be
found in the original data

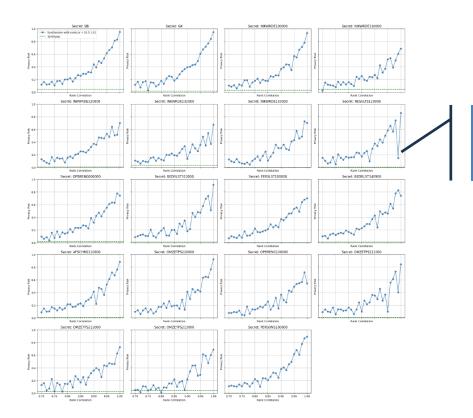


Linkability risk

Probability that records from two data sets without overlapping variables can be linked through synthetic data that overlaps with both.



Synthesizer has controllable SDC



Inference risk:

Risk of disclosure by prediction based on models trained on synthetic data

Riscs measured using the Anonymeter framework in Python[1].

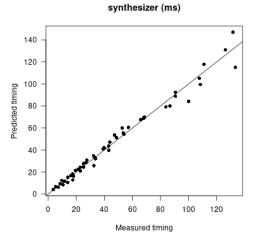


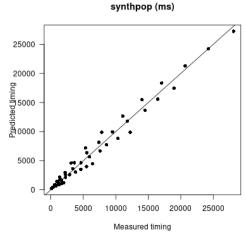
[1] Giomi, Matteo, et al. A unified framework for quantifying privacy risk in synthetic data (2022). Proceedings of Privacy Enhancing Technologies Symposium.

Image credit: M. Anthoulaki (2025) Evaluating the Privacy Riscs of data Generated by the 11 Synthesizer Method. MSc thesis, Leiden University

Synthesizer is fast

Method	Time complexity (theory)
synthesizer	$O(pn\log(n))$
synthpop (using CART)	$O(p^2n\log(n))$





Experiment:

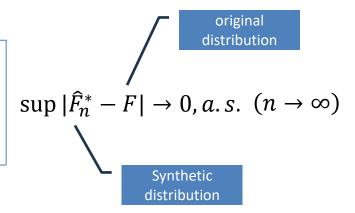
- 1k-10k records and 5-25 variables (5x)
- Linear model for median timings.
- Adjusted R²=0.98 (both models)



Synthesizer is grounded in theory

For each variable:

- 1. Sample *n* values from empirical distribution.
- Reorder so that the rank of the sample matches the rank of the original n values.





Summary

- synthesizer offers an easy-to-understand synthetic data method where the data is the model.
- The method is fast, retains high utility, and has customizable privacy—utility tradeoff.
- Because of it's simplicity we can formally establish some asymptotic properties





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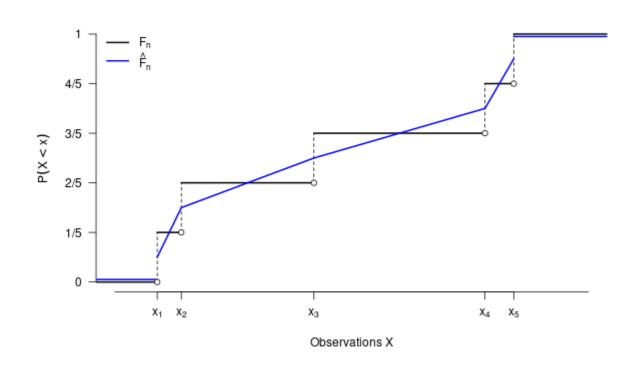


Glad you asked!

```
Algorithm 1: Synthesize a dataset
   Input: An n \times p dataset \mathbf{X} = \{\mathbf{x}_1, \mathbf{x}_2, \dots, \mathbf{x}_p\}
   Output: An n \times p synthetic dataset X^*
1 X^* = \{\};
2 for i \in \{1, 2, \dots p\} do
    Create an approximate CDF \hat{F}_{n,j};
4 | \mathbf{x}_{i}^{*} \leftarrow [x_{1}, x_{2}, \dots, x_{n}] \sim \hat{F}_{n, j}; // sample n values from \hat{F}_{n, i}
\mathbf{x}_{i}^{*} \leftarrow \operatorname{sort}(\mathbf{x}_{i}^{*})[\operatorname{rank}(\mathbf{x}_{j})];
                                                // match order of \mathbf{x}_i
6 | \mathbf{X}^* = \mathbf{X}^* \cup \{\mathbf{x}_i^*\};
7 end
```



Wow, I did not expect that question!





I totally did not expect this question

